

# Reverse Engineering of AI Models

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*28 Sept. 2020*

*Mr. Jingli SHI*

*PhD at Auckland University of Technology*

- Speaker: Mr. Jingli SHI
  - *PhD @ Auckland University of Technology, New Zealand*
  - Research: *natural language processing*
- Session 1 – NLP Models
  - Time: **15:00 – 16:00**
  - Course Aims: Understand low-level theory of AI model using XOR use case.
- Break
  - Time: **16:00 – 16:05**
- Session 2 – Demo
  - Time: **16:05 – 16:35**
  - Course Aims: Learn to implement AI model.

# Outline

- Background
- AI Model Training Routine (XOR use case)
- Classic AI Models

# Outline

- Background
  - AI Milestones
  - Who is Smarter?
  - Course goal
  - AI vs ML vs DL vs NLP
- AI Model Training Routine (XOR use case)
- Classic AI Models

# AI Advance Milestones



2016



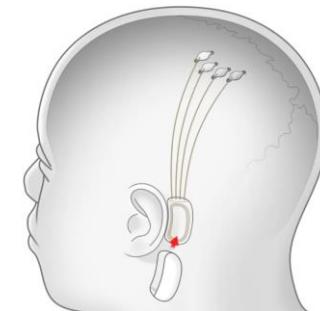
2018



2017



2020



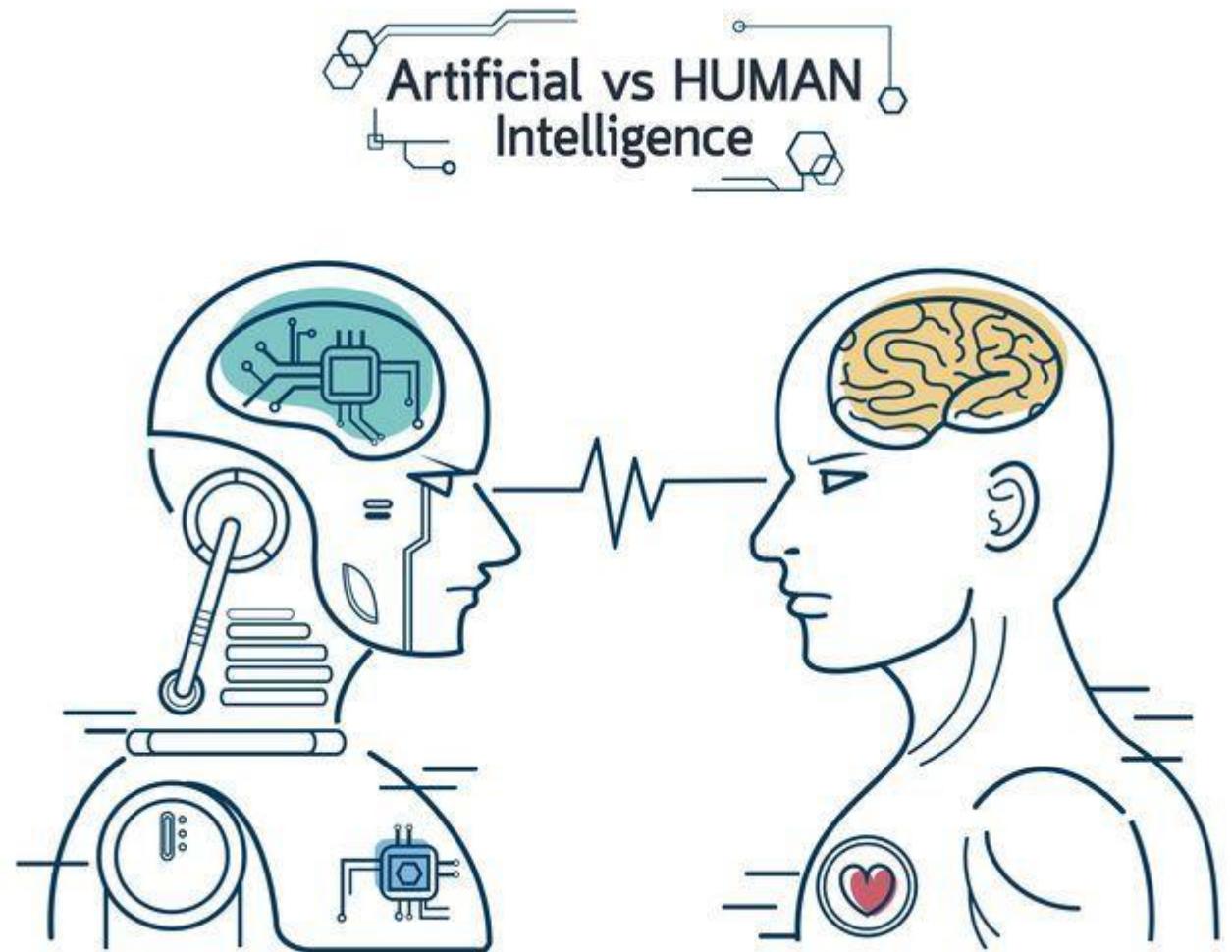
Neuralink by Elon Musk

# Who is Smarter?

Estimation:

Robot surpass the  
capability of human brains  
around **2040**.

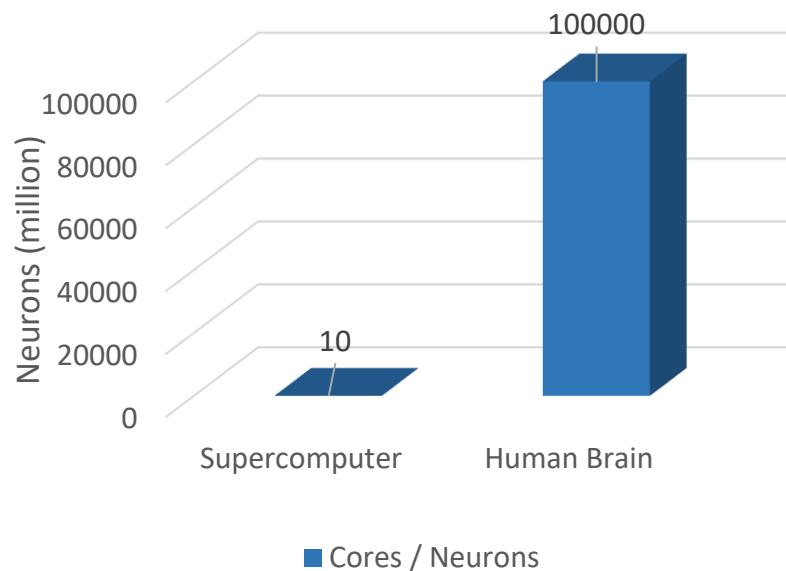
How about now?



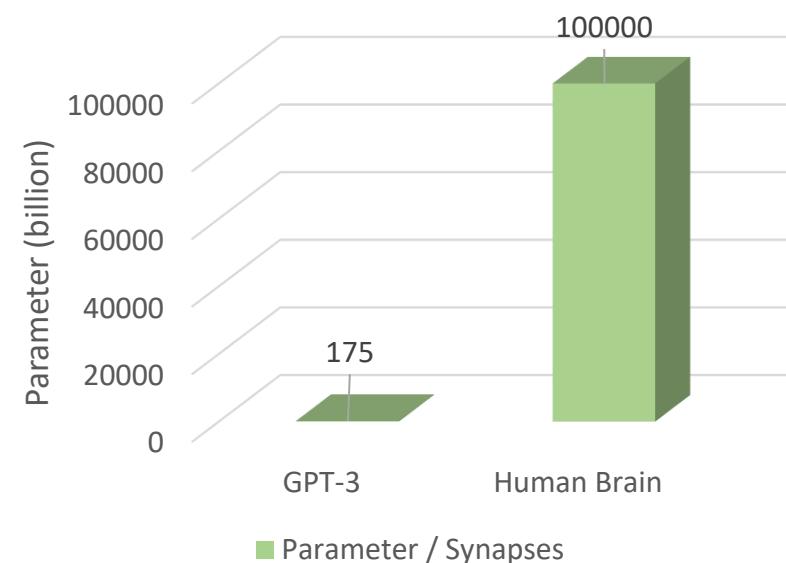
# AI vs Human



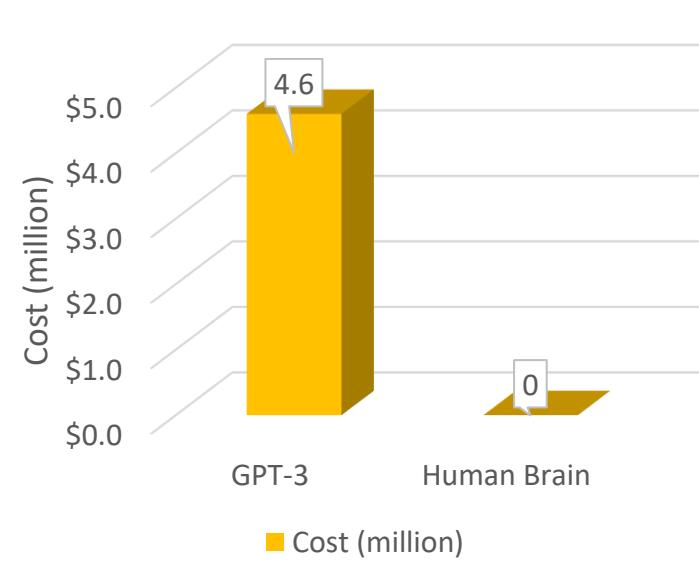
## AI vs Human Brain (Hardware)



## AI vs Human Brain (Software)

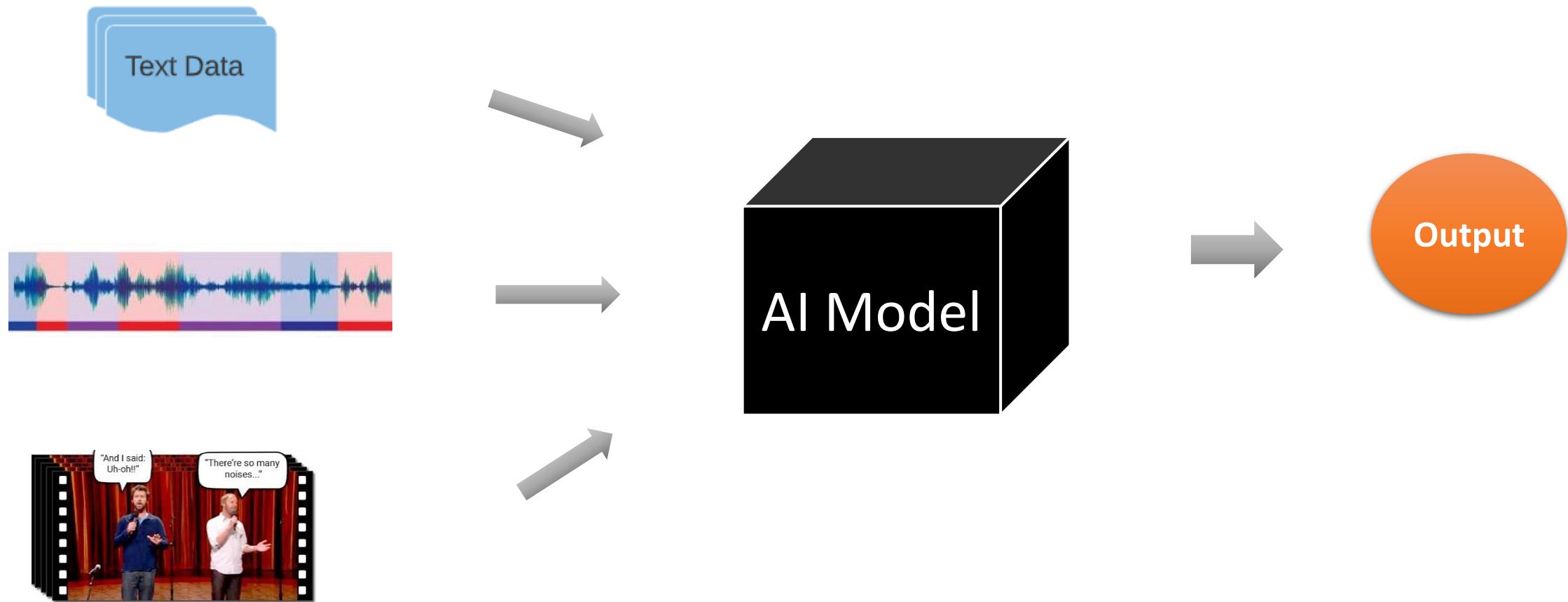


## AI vs Human (Cost)

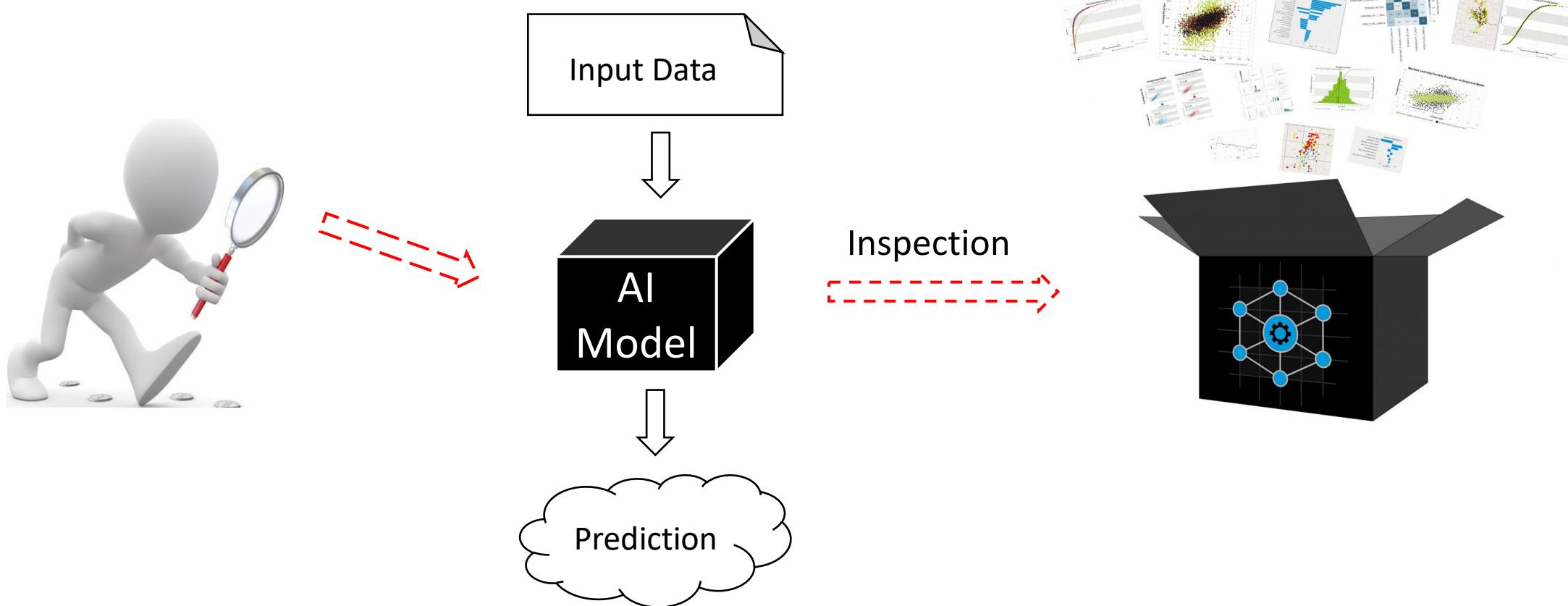


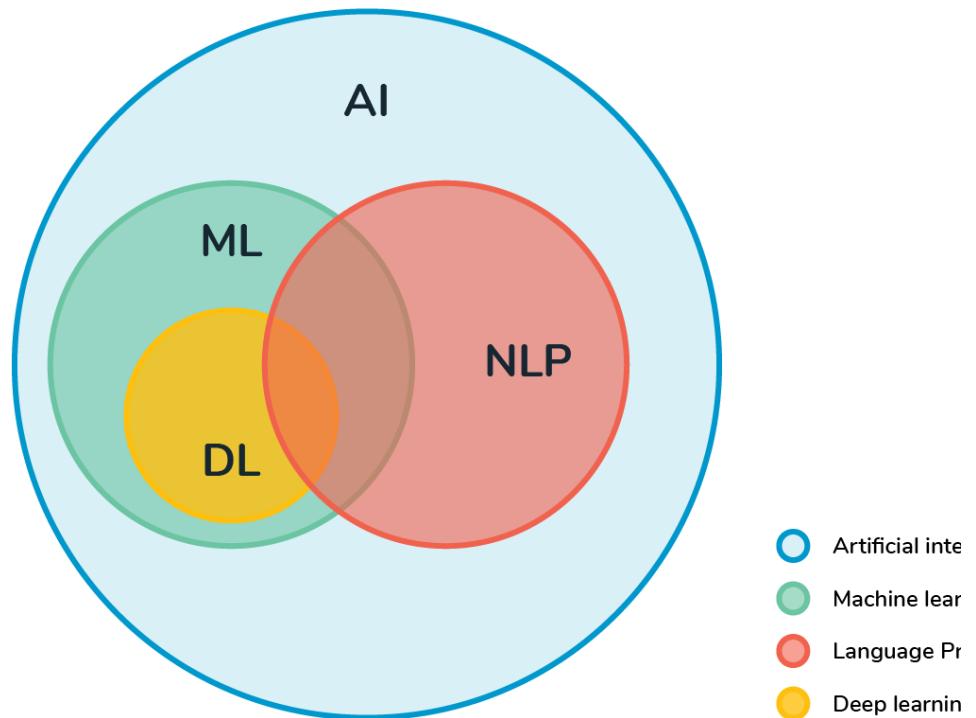
Source: [https://brandminds.live/ai-versus-the-human-brain/#:~:text=%E2%80%9CArtificial%20intelligence%20\(or%20AI\),power%20of%20the%20human%20brain.&text=By%20comparisons%2C%20human%20brains%20can,to%20a%20single%20human%20brain.](https://brandminds.live/ai-versus-the-human-brain/#:~:text=%E2%80%9CArtificial%20intelligence%20(or%20AI),power%20of%20the%20human%20brain.&text=By%20comparisons%2C%20human%20brains%20can,to%20a%20single%20human%20brain.)  
[https://www.youtube.com/watch?v=kpiY\\_LemaTc](https://www.youtube.com/watch?v=kpiY_LemaTc)

# AI (Blackbox)



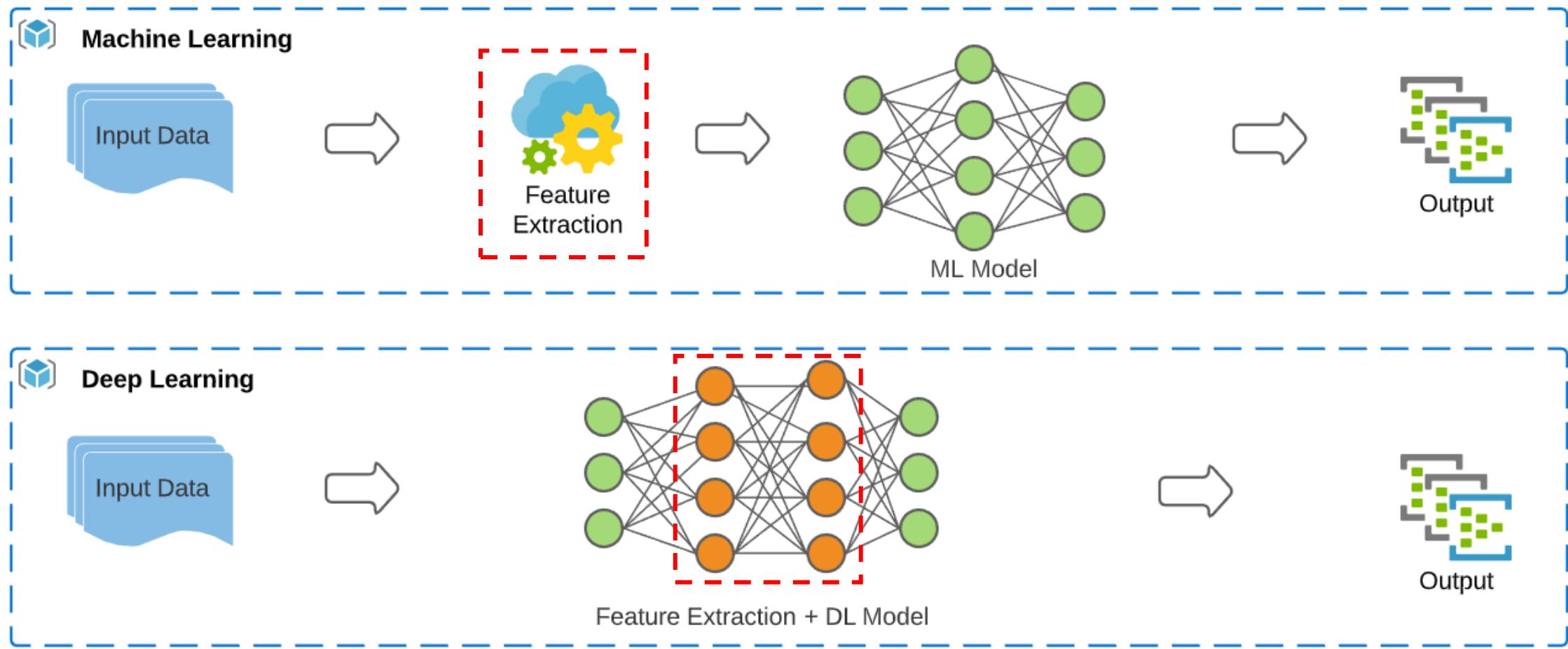
# Blackbox Inspection





Background  
(AI vs ML vs  
DL vs NLP)

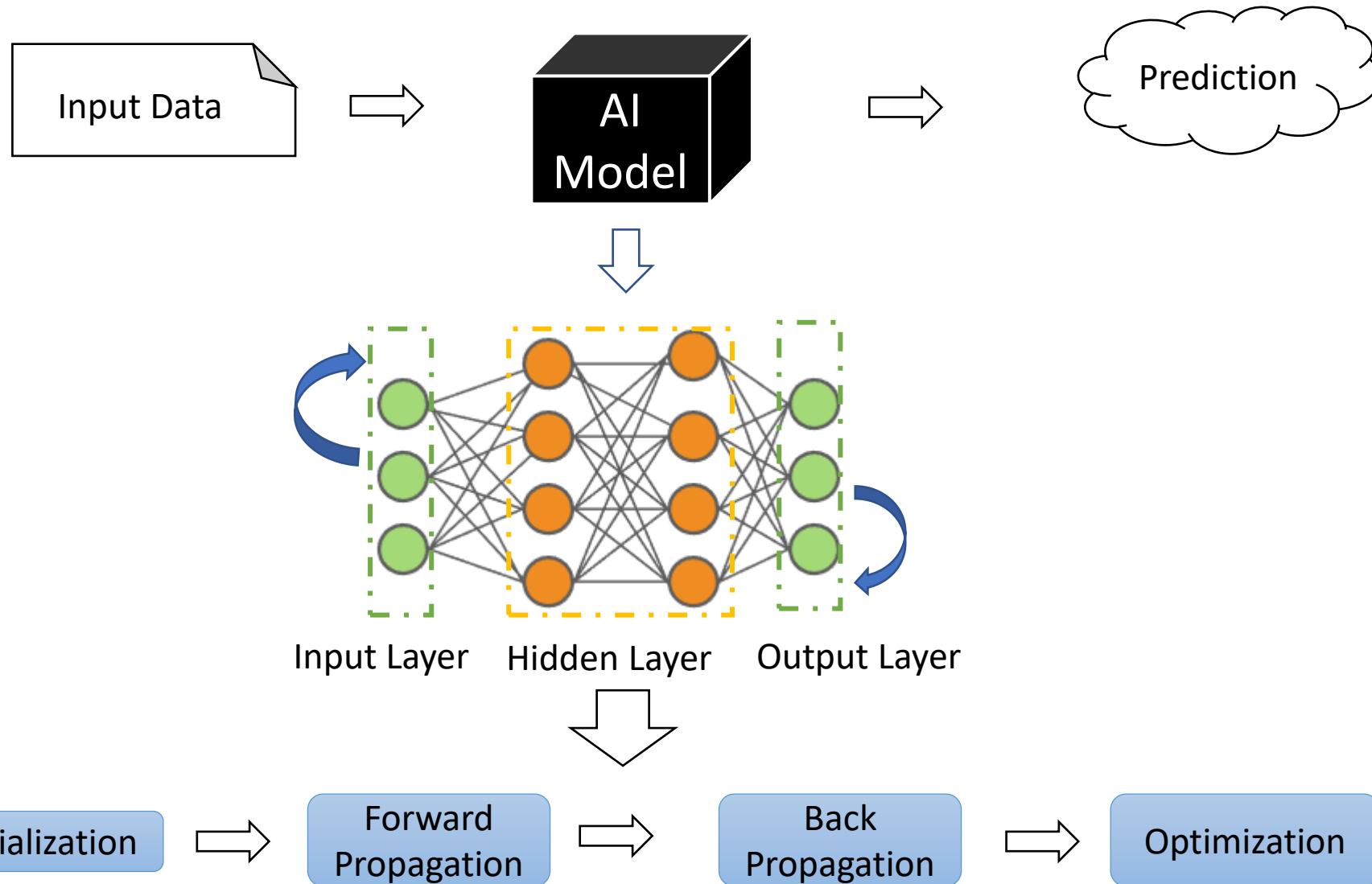
# Machine Learning vs Deep Learning



# Outline

- Background
- AI Model Training Routine (XOR use case)
  - Initialization
  - Forward Propagation
  - Backward Propagation
  - Optimization
- Classic AI Models

# Explore Blackbox



# AI Model Training Routine

For an AI model, the typical training routine is performing the following 4 steps **iteratively**.

## Initialization

1. Initialize or update weights vector

## Forward Propagation

- 2a. Multiply the weights vector with the inputs, sum the products.
- 2b. Put the sum through the activation function, e.g. sigmoid, tanh, ReLU, etc.

# AI Model Training Routine

## Back Propagation

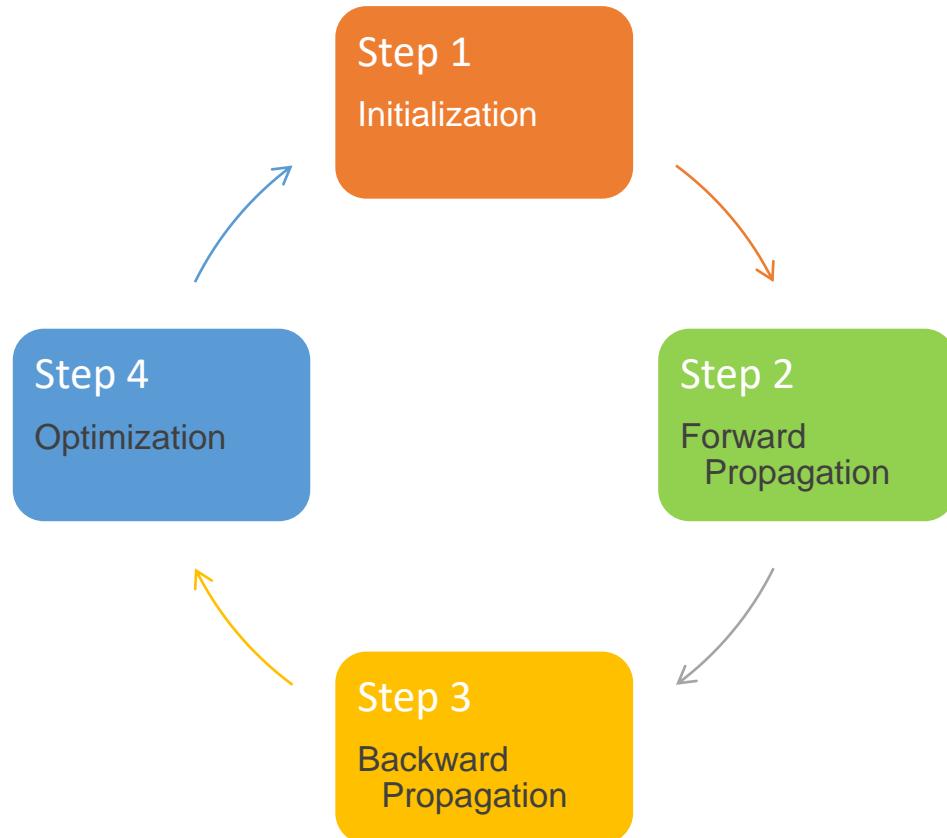
- 3a. Compute the errors, i.e. difference between expected output and predictions
- 3b. Multiply the error with the derivatives to get the delta
- 3c. Multiply the delta vector with the inputs, sum the product

## Optimizer takes a step

4. Multiply the learning rate with the output of step 3c

**Repeat 1-4 until desired**

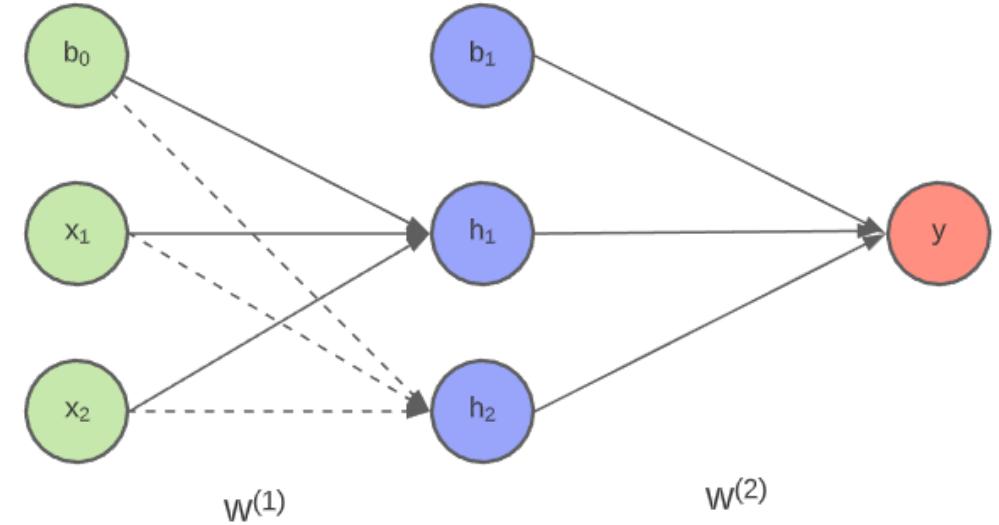
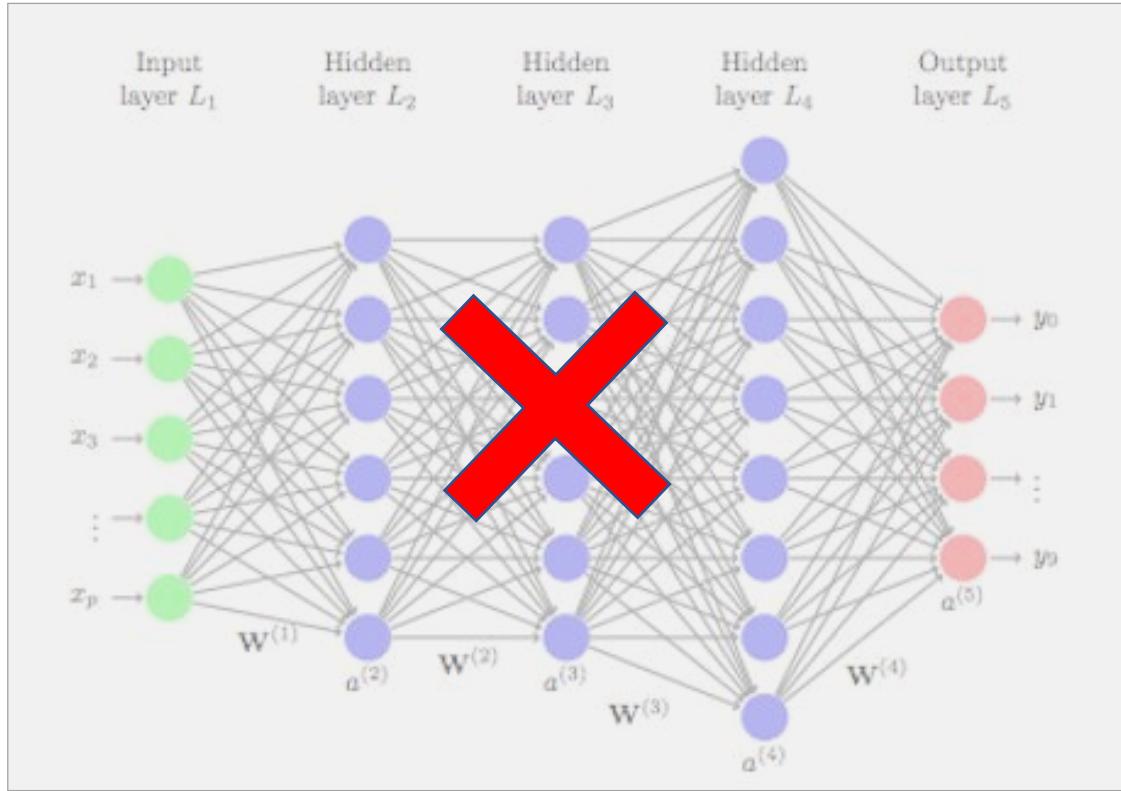
# AI Model Training Routine



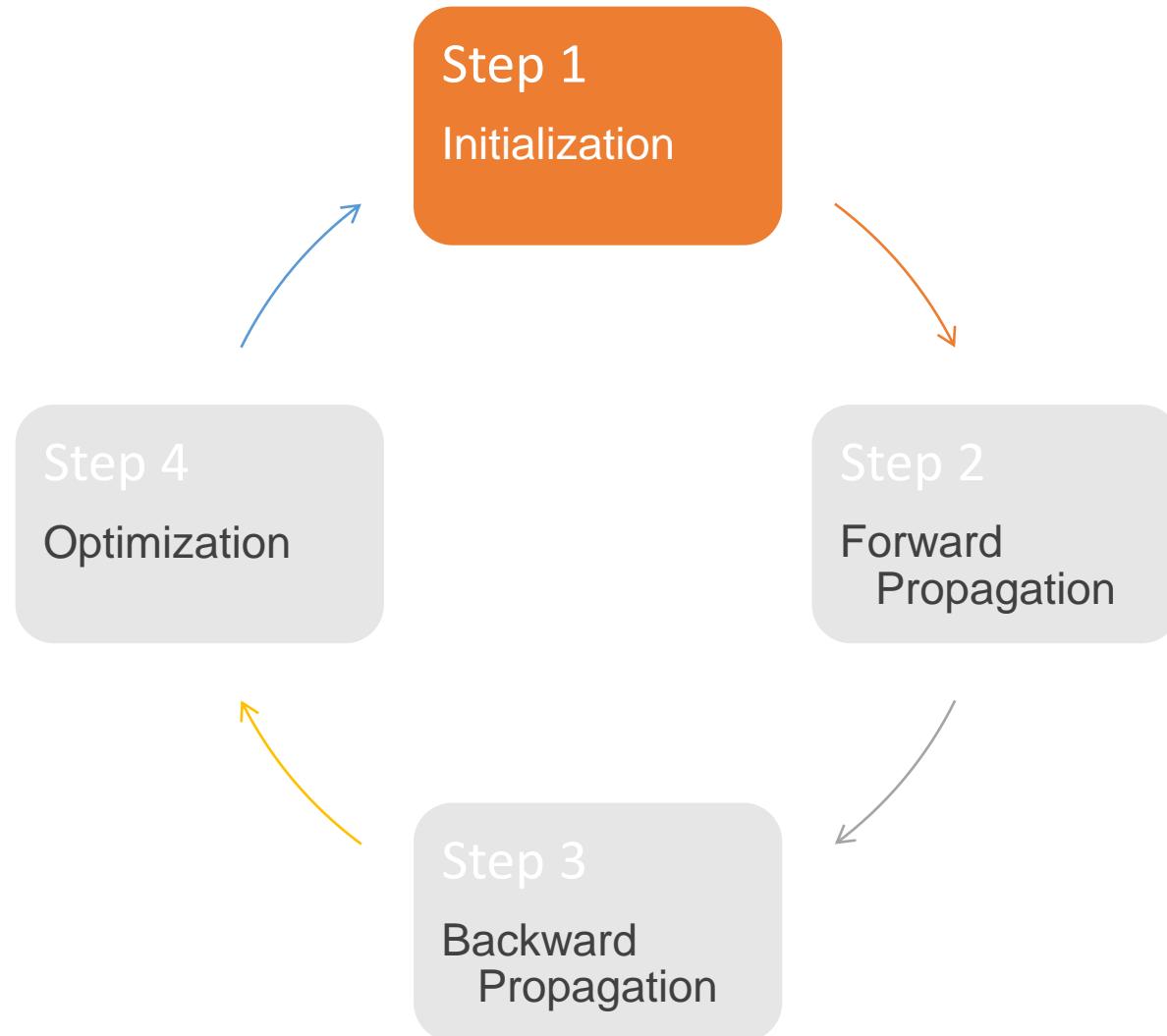
Stop criteria:

1. Loop end
2. No accuracy improvement

# Simple Model Inspection

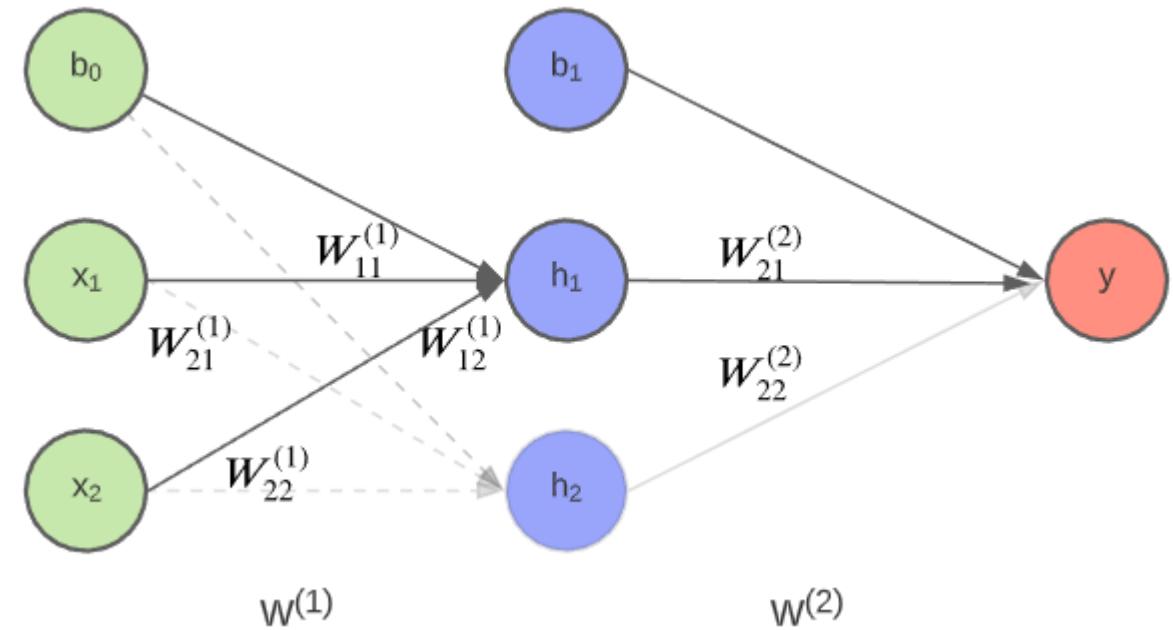


# Initialization



# XOR - Initialization

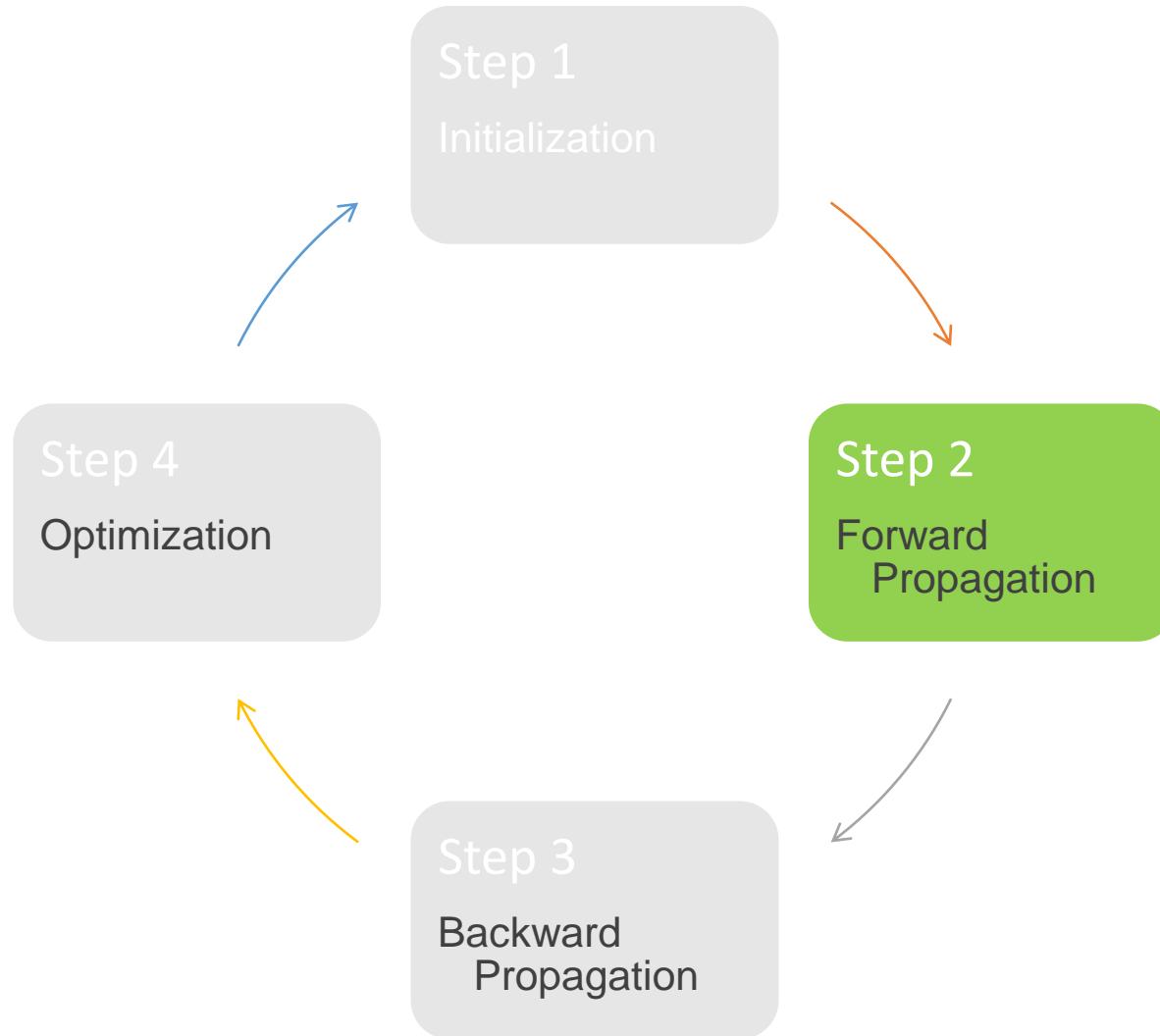
<b>x1</b>	<b>x2</b>	<b>x1 XOR x2</b>
0	0	0
0	1	1
1	0	1
1	1	0



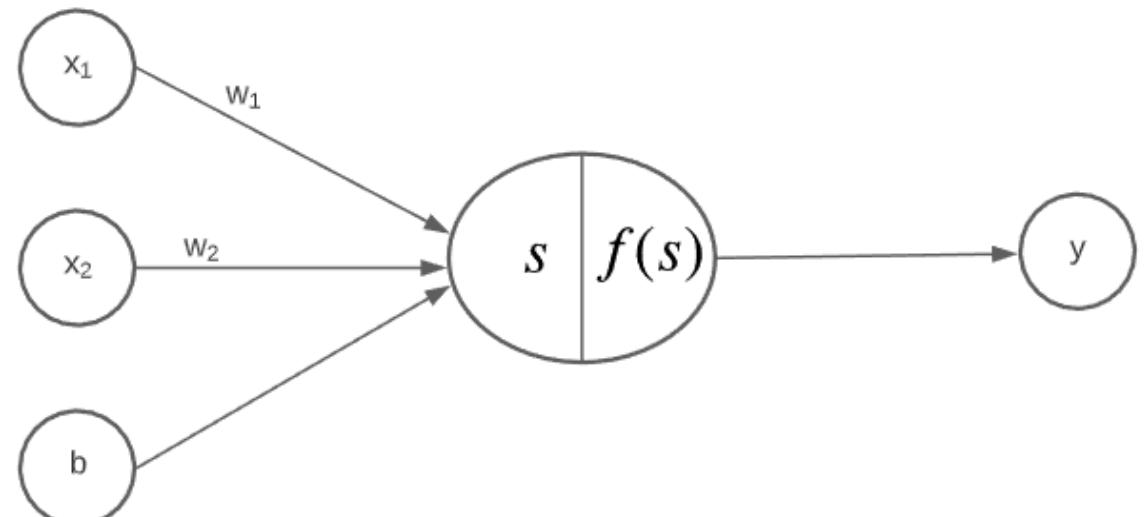
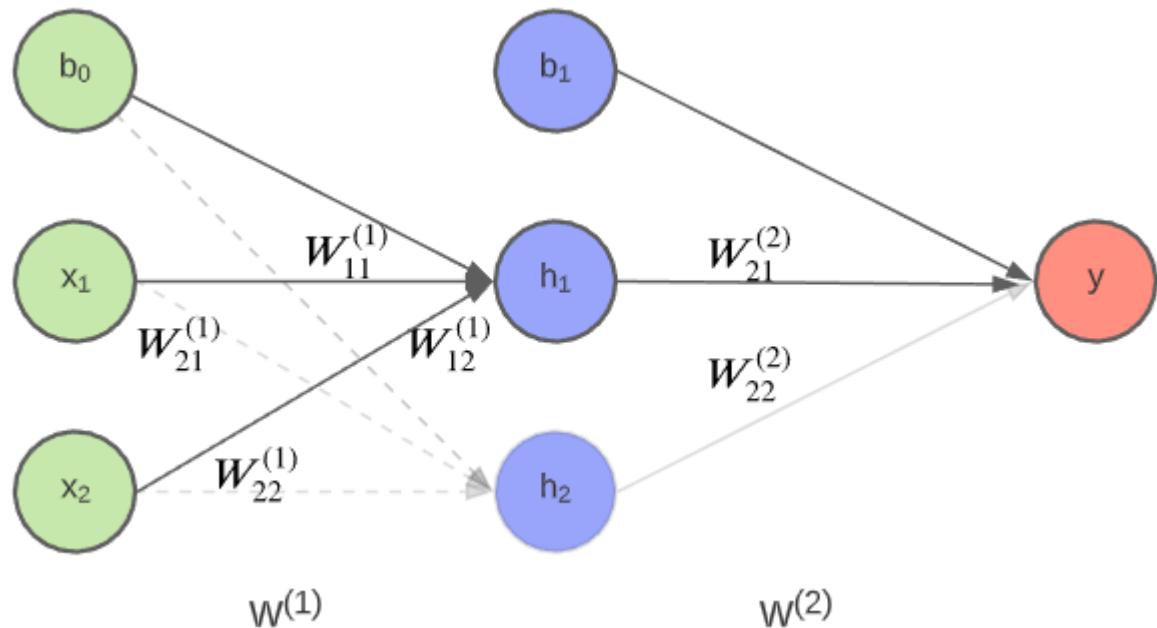
<b>x1</b>	<b>x2</b>	<b>b0</b>	<b>w1_11</b>	<b>w1_12</b>	<b>w1_21</b>	<b>w1_22</b>	<b>b1</b>	<b>w2_21</b>	<b>w2_22</b>
0	1	1	-1	1	1	-1	-1	1	1

•  
•  
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# Forward Propagation



# XOR - Forward Propagation



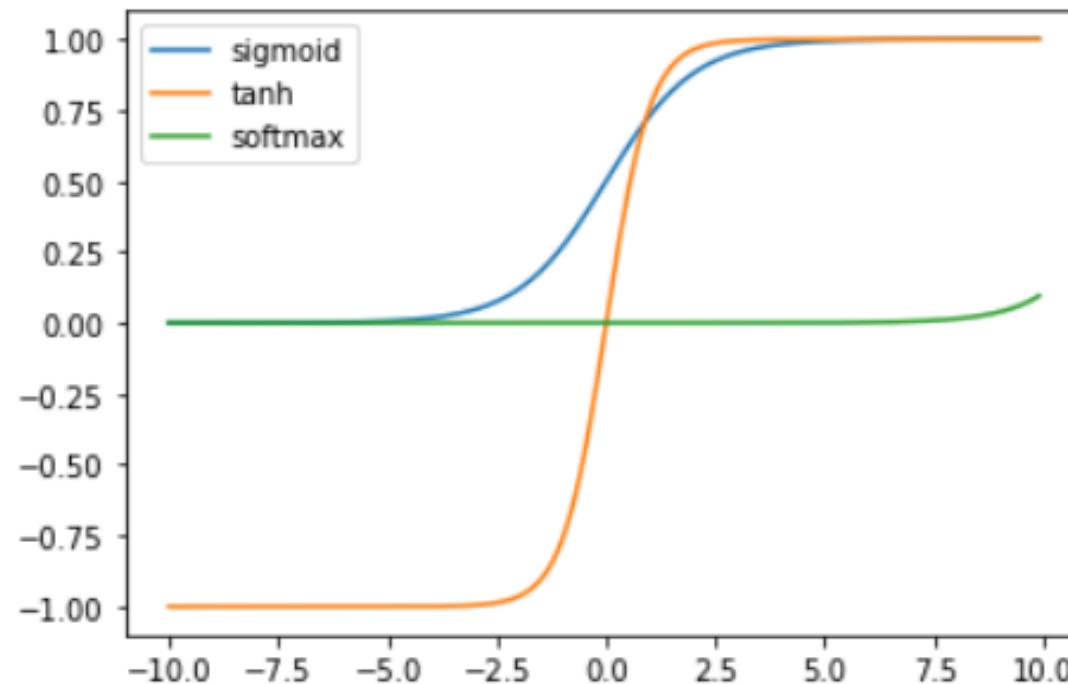
Preactivation Function

$$s = \sum w_i * x_i + b$$

Activation Function

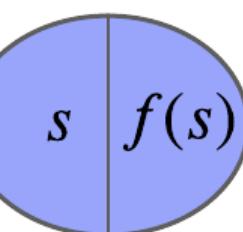
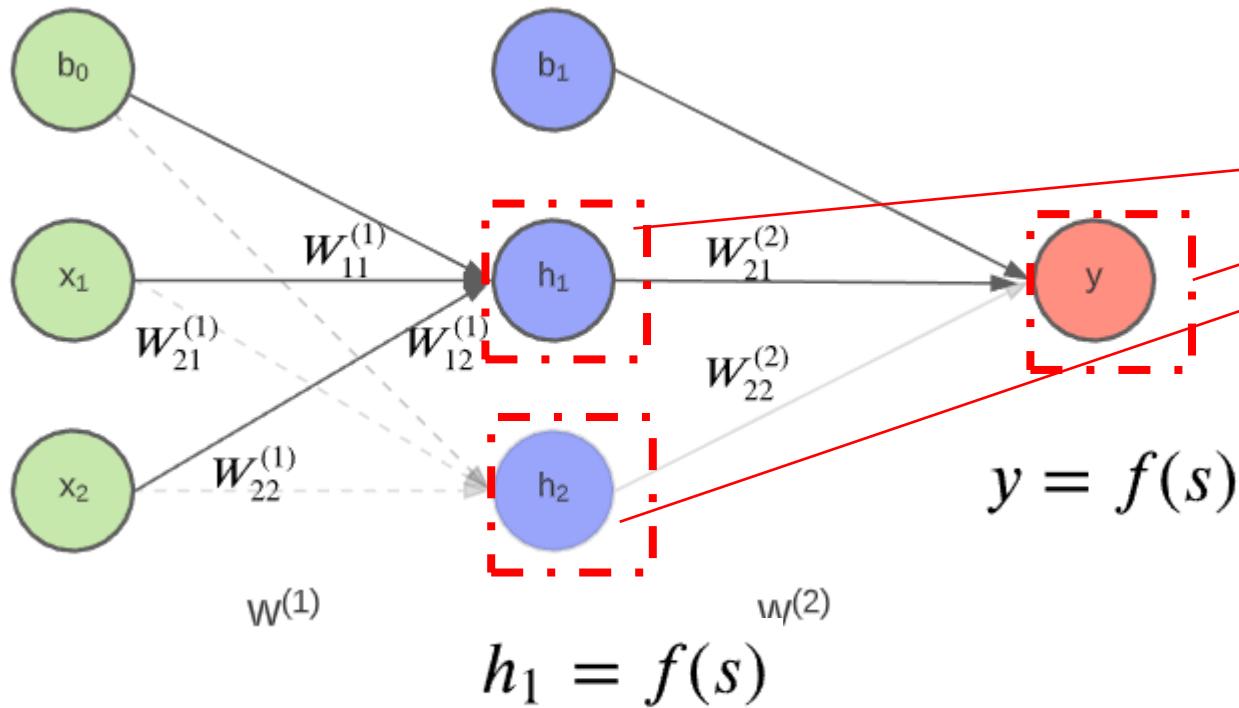
$$f(s) = \frac{1}{1+e^{-s}}$$

# XOR - Activation Function



**Activation function** of a node defines the output of that node given an input or set of inputs. They help in keeping the value of the output from the neuron restricted to a certain limit as per our requirement.

# XOR - Neuron Calculation



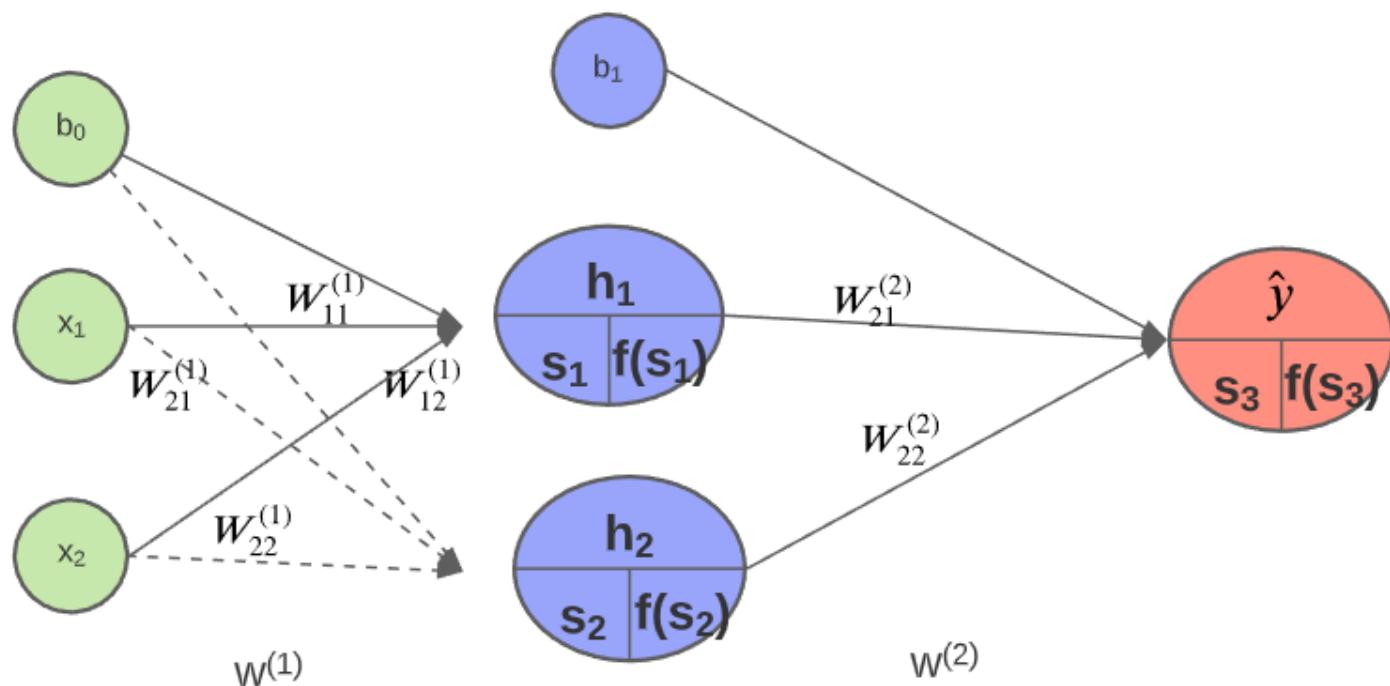
Preactivation Function

$$s = \sum (w_i * x_i) + b$$

Activation Function

$$f(s) = \frac{1}{1+e^{-s}}$$

# XOR - Output Calculation



$$s_1 = \sum w_{1i}^{(1)} * x_i + b_0$$

$$h_1 = f(s_1) = \text{sigmoid}(s_1) = \frac{1}{1+e^{-s_1}}$$

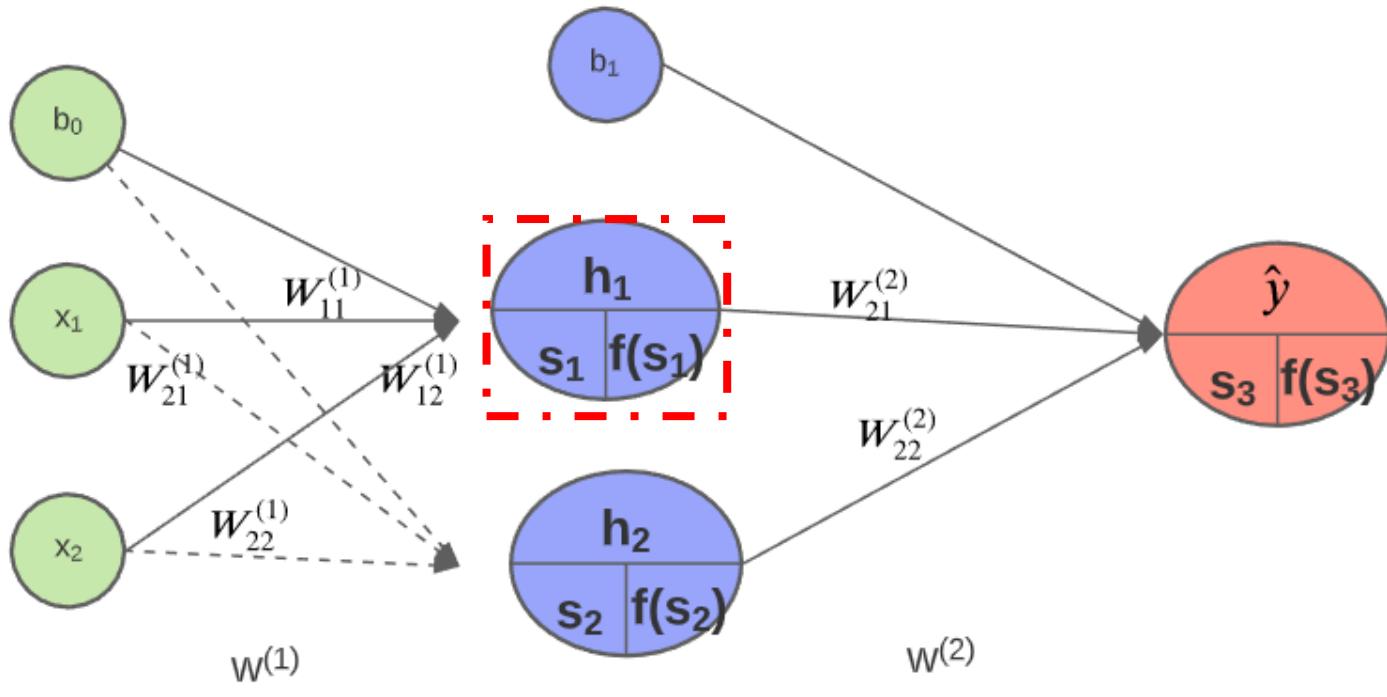
$$s_2 = \sum w_{2i}^{(1)} * x_i + b_0$$

$$h_2 = f(s_2) = \text{sigmoid}(s_2) = \frac{1}{1+e^{-s_2}}$$

$$S_3 = \sum w_{2i}^2 * h_i + b_1$$

$$\hat{y} = f(s_3) = \text{sigmoid}(s_3) = \frac{1}{1+e^{-s_3}}$$

# XOR – Forward Propagation



$x_1$	$x_2$	$s_1$	$h1=f(s1)$
0	1	2	0.88

$b_0$	$W_{1\_11}$	$W_{1\_12}$
1	-1	1

$$s_1 = \sum w_{1i}^{(1)} * x_i + b_0$$

$$s_1 = w_{11}^{(1)} * x_1 + w_{12}^{(1)} * x_2 + b_0$$

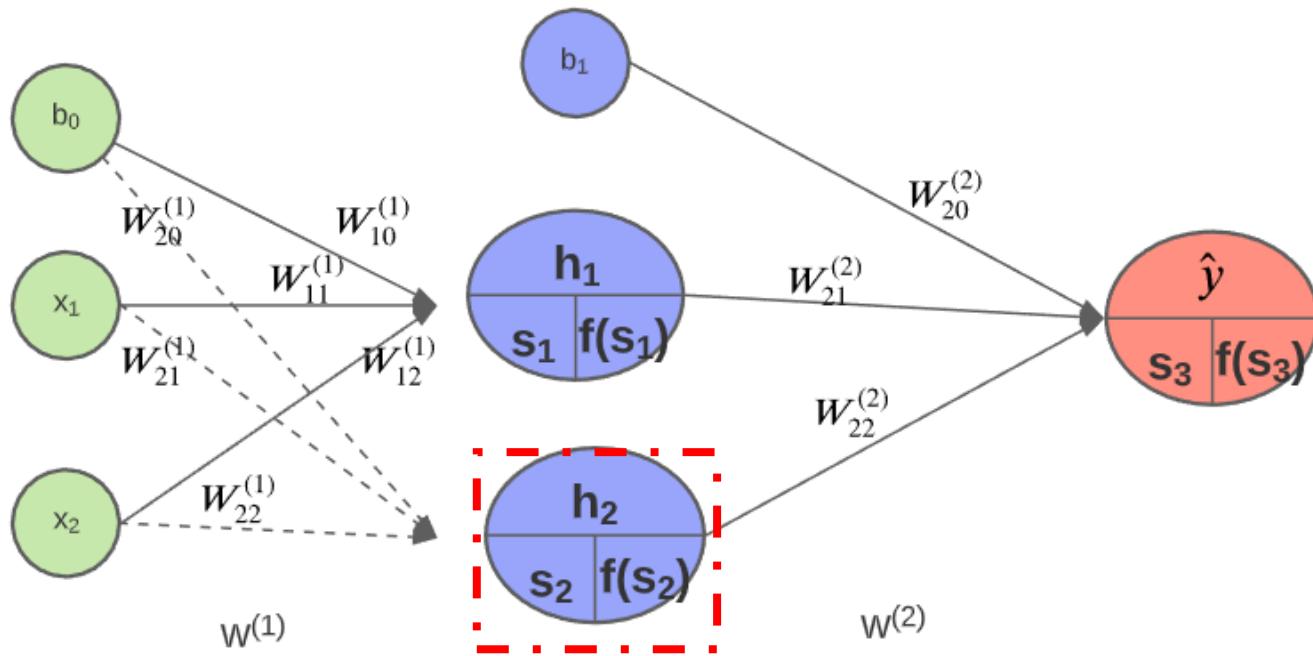
$$s_1 = (-1) * 0 + 1 * 1 + 1$$

$$s_1 = 2$$

$$h_1 = f(s_1) = \text{sigmoid}(s_1) = \frac{1}{1+e^{-s_1}}$$

$$h_1 = 0.88$$

# XOR – Forward Propagation



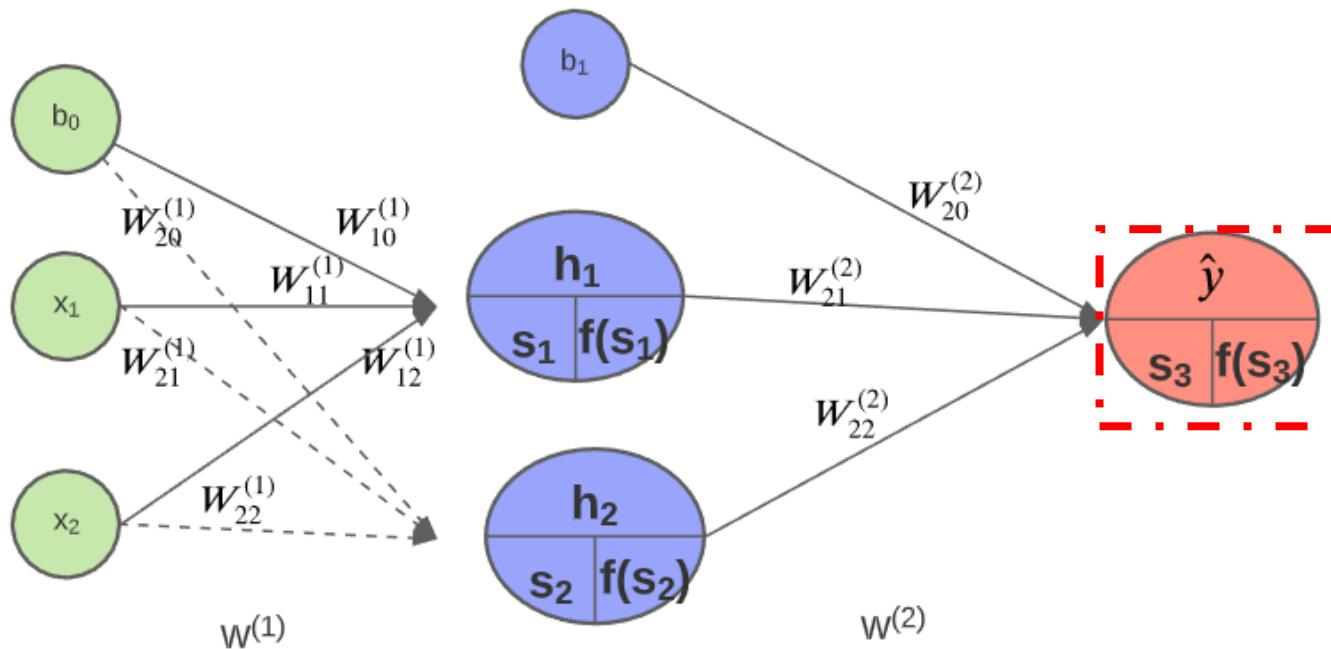
$b_0$	$w_{1\_21}$	$w_{1\_22}$
1	1	-1

$$s_2 = w_{21}^{(2)} * x_1 + w_{22}^{(2)} * x_2 + b_0$$

$$h_2 = f(s_2) = \text{sigmoid}(s_2) = \frac{1}{1+e^{-s_2}}$$

$x_1$	$x_2$	$s_1$	$h_1=f(s_1)$	$s_2$	$h_2=f(s_2)$
0	1	2	0.88	0	0.5

# XOR – Forward Propagation



<b>b1</b>	<b>W2_21</b>	<b>W2_22</b>
-1	1	1

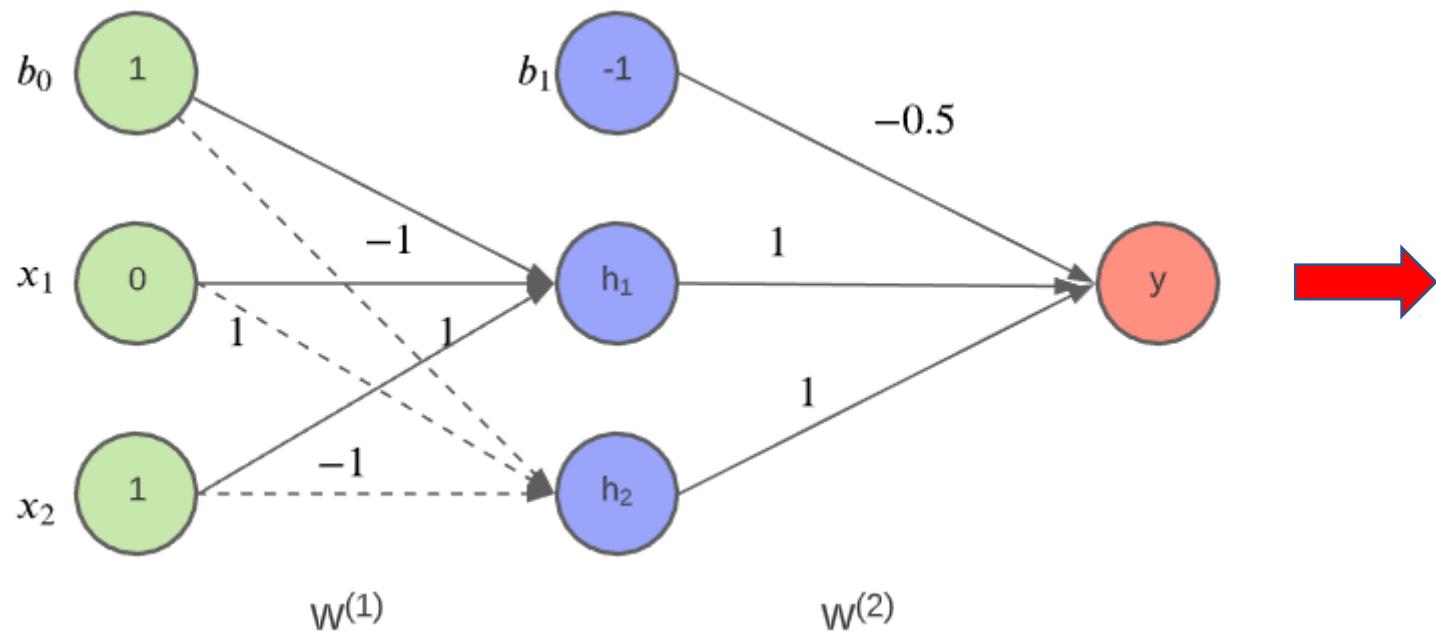
$$S_3 = \sum w_{2i}^{(2)} * h_i + b_1$$

$$s_3 = w_{21}^{(2)} * h_1 + w_{22}^{(2)} * h_2 + b_1$$

$$\hat{y} = f(s_3) = \text{sigmoid}(s_3) = \frac{1}{1+e^{-s_3}}$$

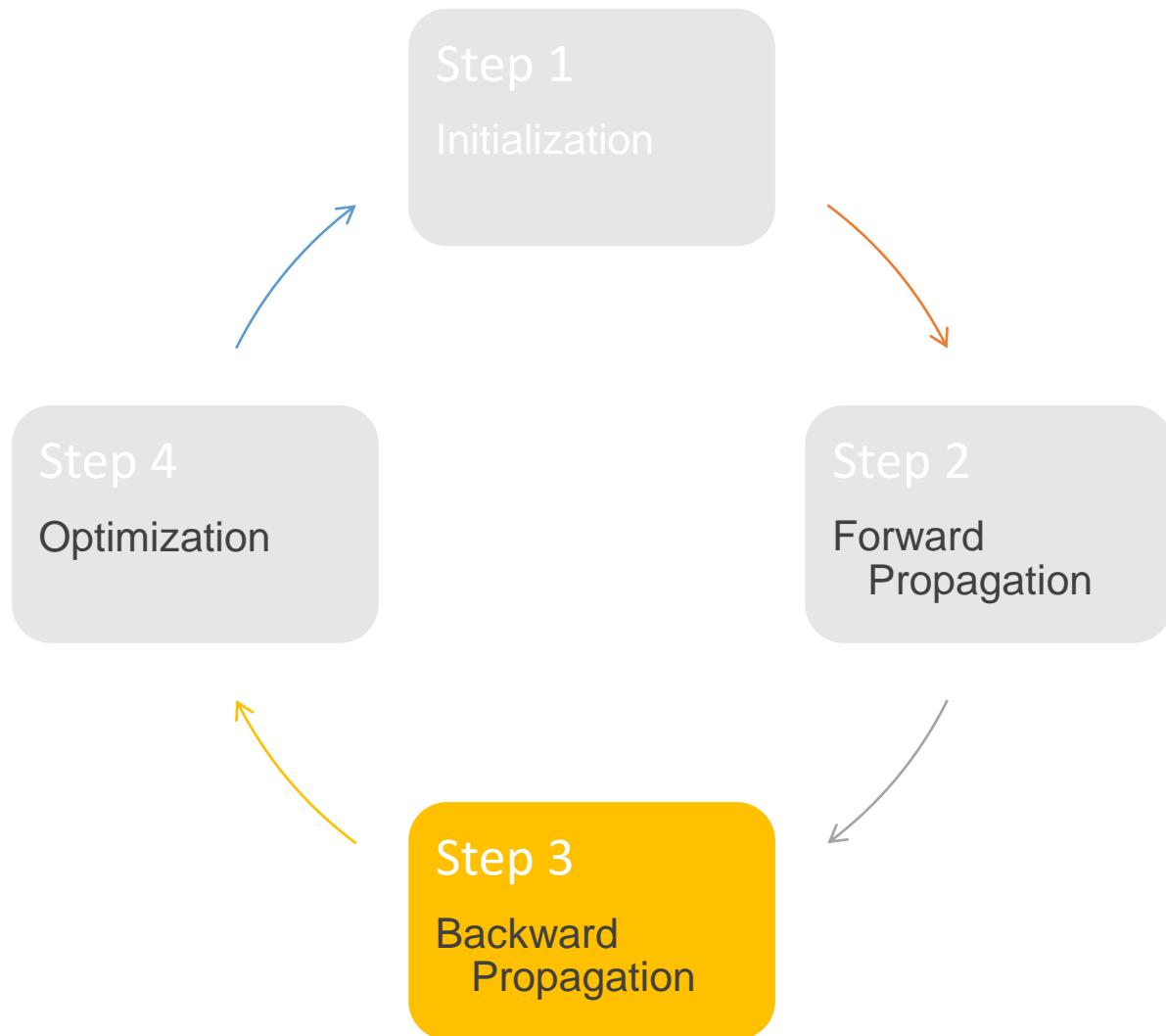
$x_1$	$x_2$	$s_1$	$h1=f(s1)$	$s2$	$h2=f(s2)$	$s3$	$y^{\wedge}=f(s3)$
0	1	2	0.88	0	0.5	0.38	0.59

# XOR - Forward Propagation



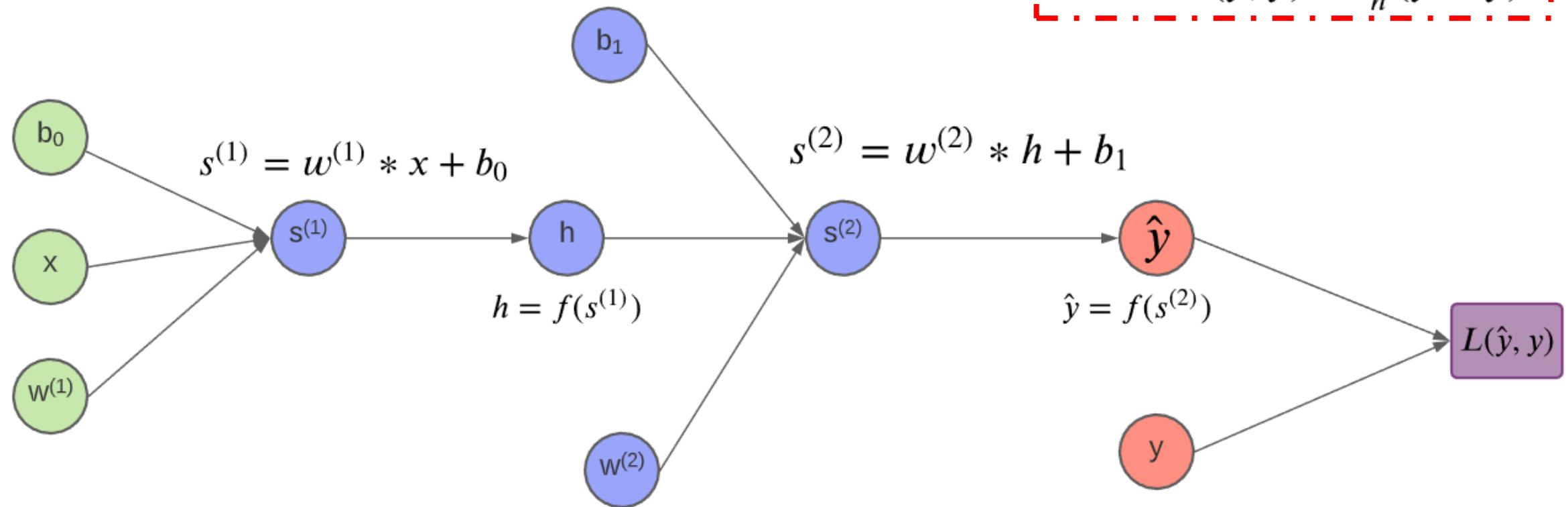
$x_1$	$x_2$	$y$	$y'$
0	1	1	0.59

# Backward Propagation



# XOR – Backward Propagation

Cost Function



MAE: 
$$L(\hat{y}, y) = \frac{1}{n} |\hat{y} - y|$$

MSE: 
$$L(\hat{y}, y) = \frac{1}{n} (\hat{y} - y)^2$$

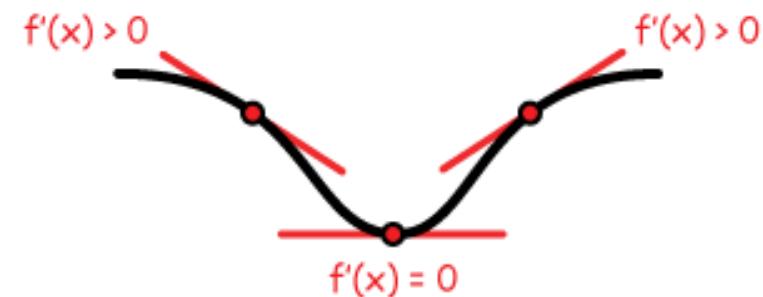
# XOR – Loss/Cost Function

Target:  
Minimum Difference

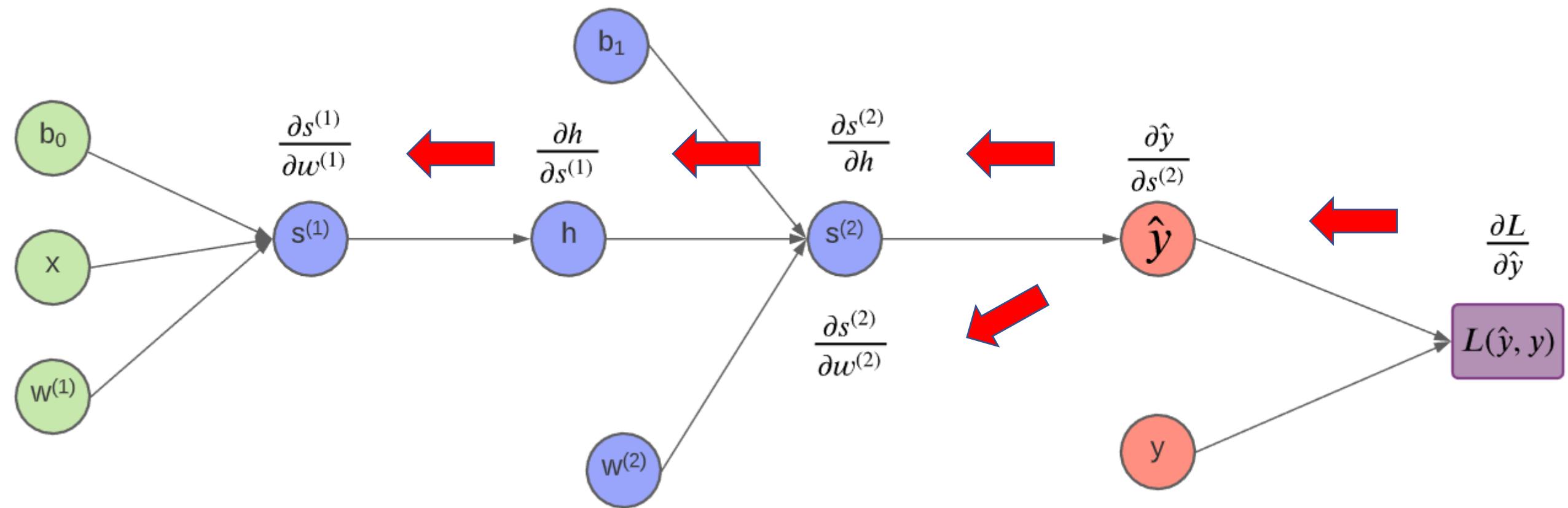
$x_1$	$x_2$	$y$	$y'$
0	1	1	0.59

$$L(\hat{y}, y) = (\hat{y} - y)^2 = F(s, h, w) = F(W)$$

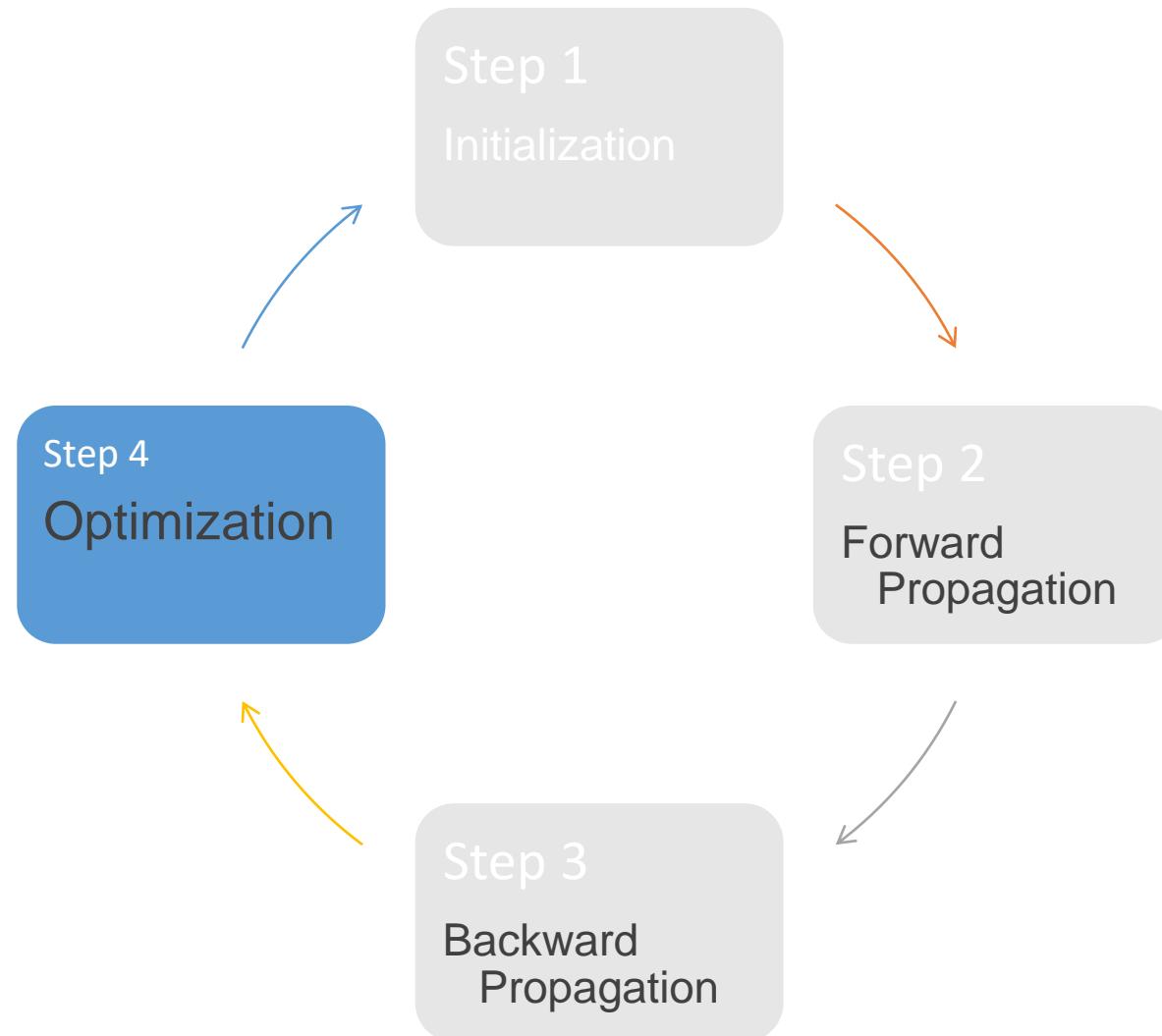
**Minimum**  
 $f'(x)$  negative on the left  
 $f'(x)$  positive on the right



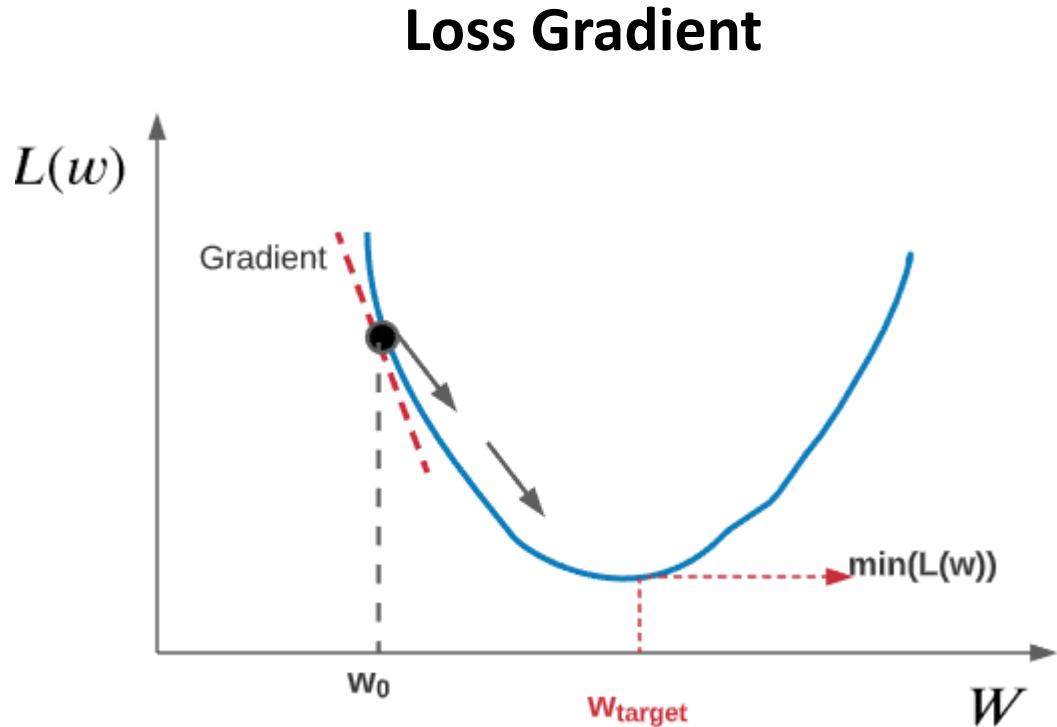
# XOR - Gradient Descent



# Optimization



# XOR - Optimization



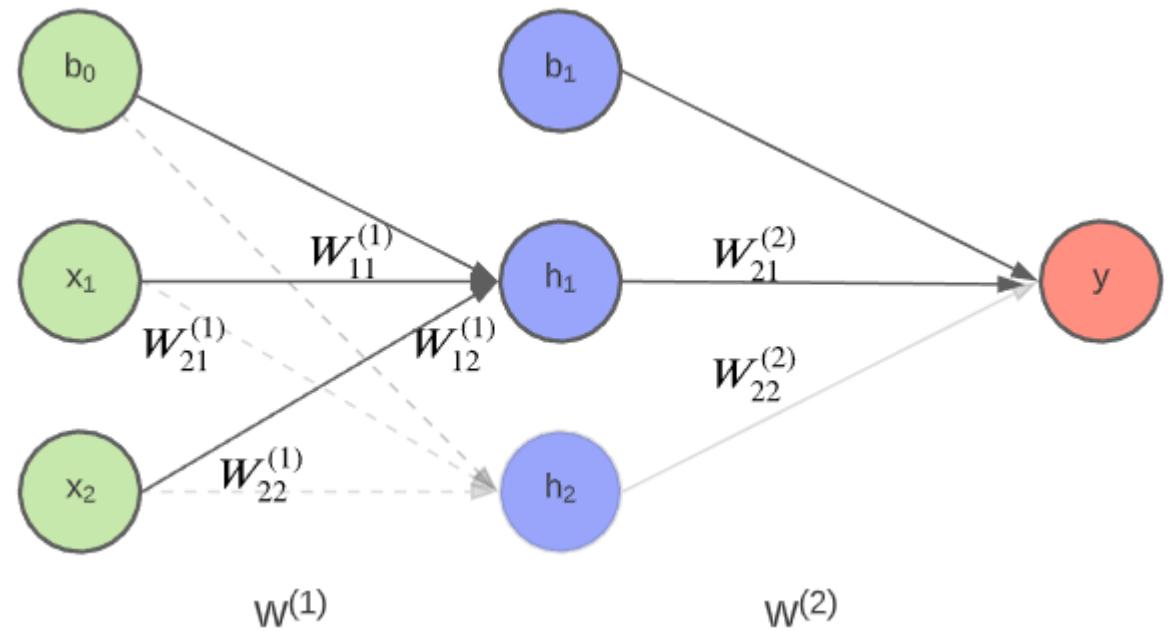
$$L(\hat{y}, y) = \frac{1}{n}(\hat{y} - y)^2 = F(w)$$

**Gradient**  $\frac{\partial L}{\partial w}$

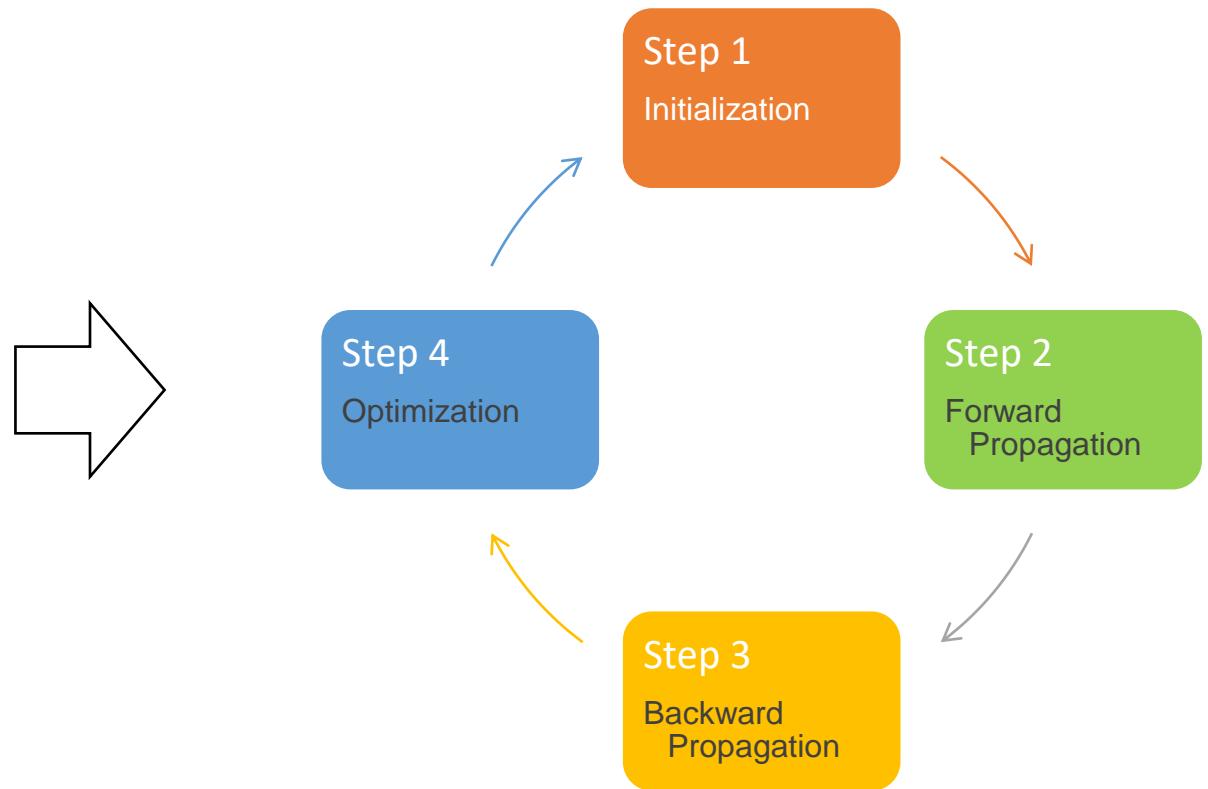
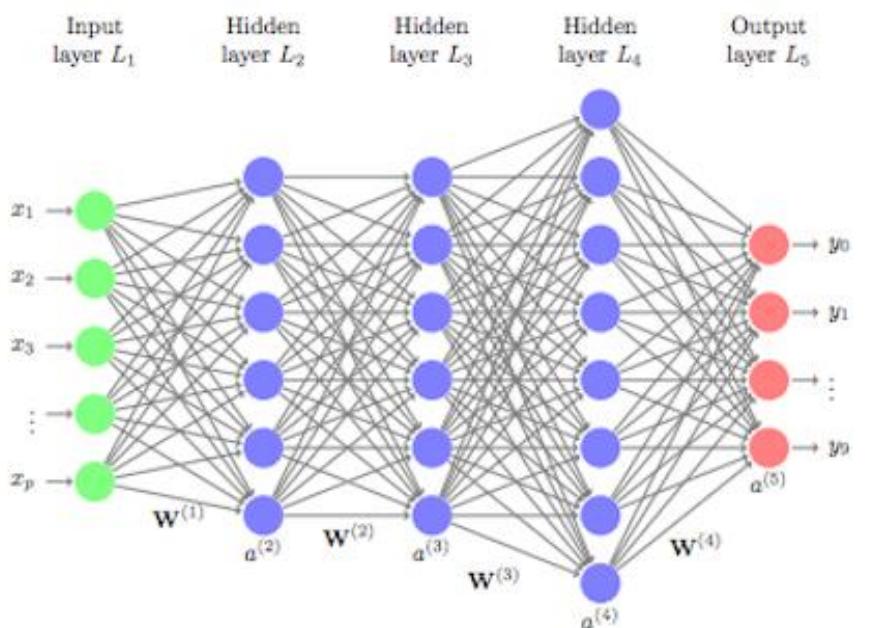
# Updating Weight

$$W_{t+1} = W_t - \alpha \frac{\partial L}{\partial w}$$

- $W_{t+1}$  is new weights matrix
- $W_t$  is old weights matrix
- $\alpha$  is learning rate



# Conclusion



# Outline

- Background
- AI Model Training Routine (XOR use case)
- **Classic AI Models**

# Complicated AI Models

Layers	Activation Function	Cost/Loss Function	NN Type
1	Tanh	Mean Absolute (MA)	Convolution
10	Sigmoid	Mean Squared Error (MSE)	Recurrent
100	Softmax	Cross Entropy (CE)	Transformer

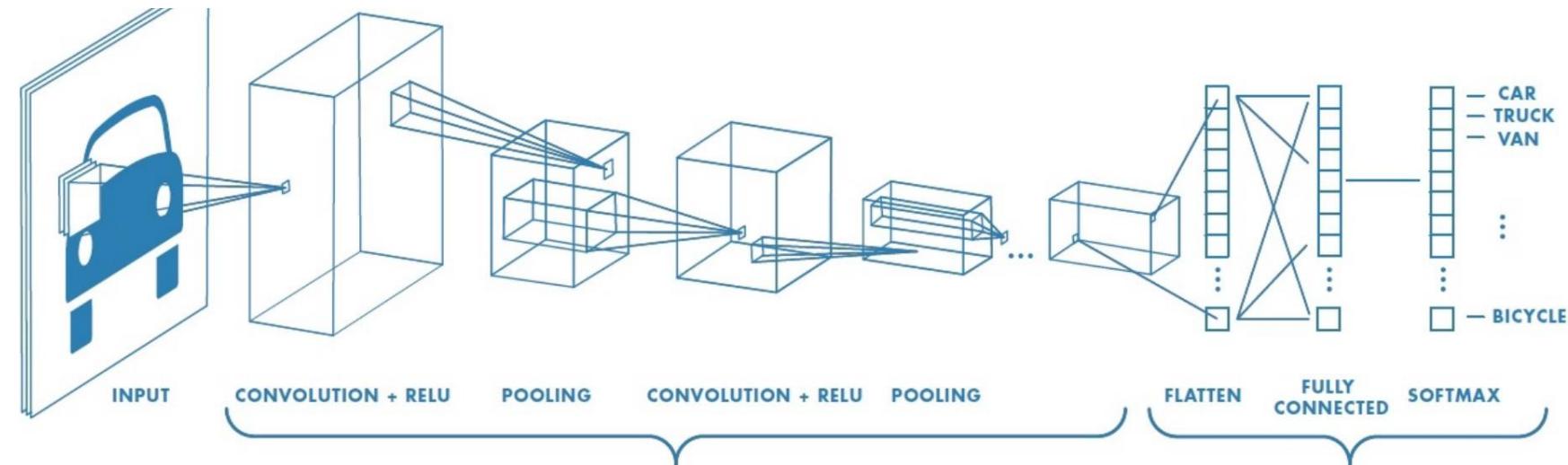
⋮

# Classical AI Models

- CNN (Convolutional Neural Network)
- RNN (Recurrent Neural Network)
- GNN (Graph Neural Network)
- Transformer
- GAN (Generative Adversarial Network)
- ...

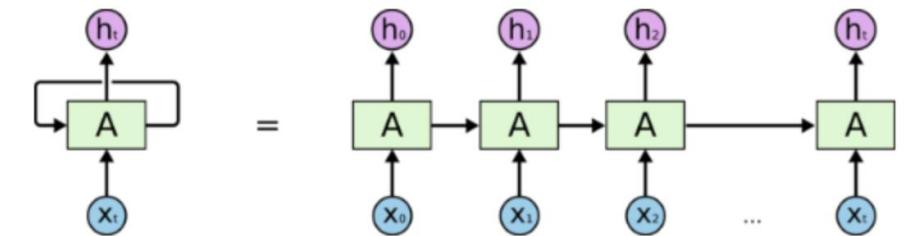
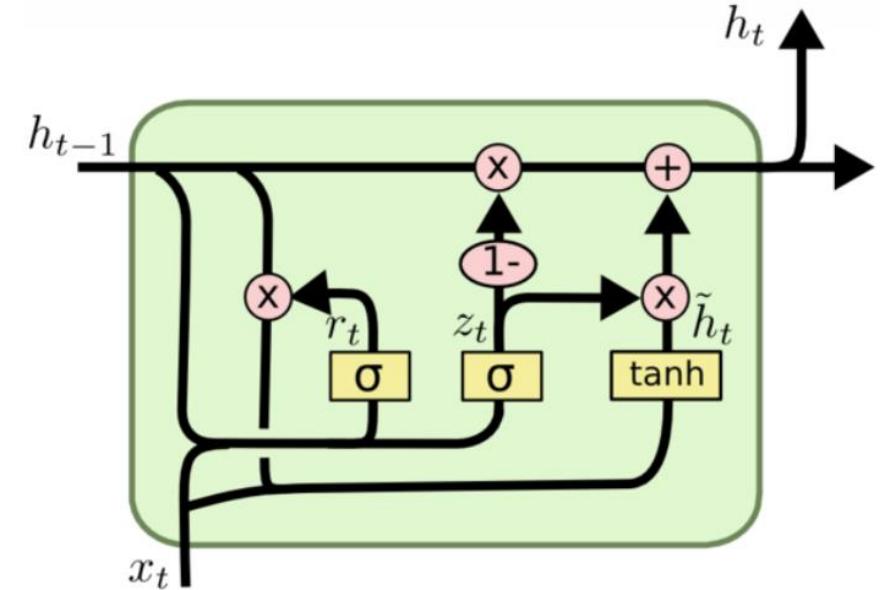
# CV: CNN (Convolutional Neural Network)

- Input: image
- Application: CV (object classification, object detection, ...)



# NLP: RNN & LSTM

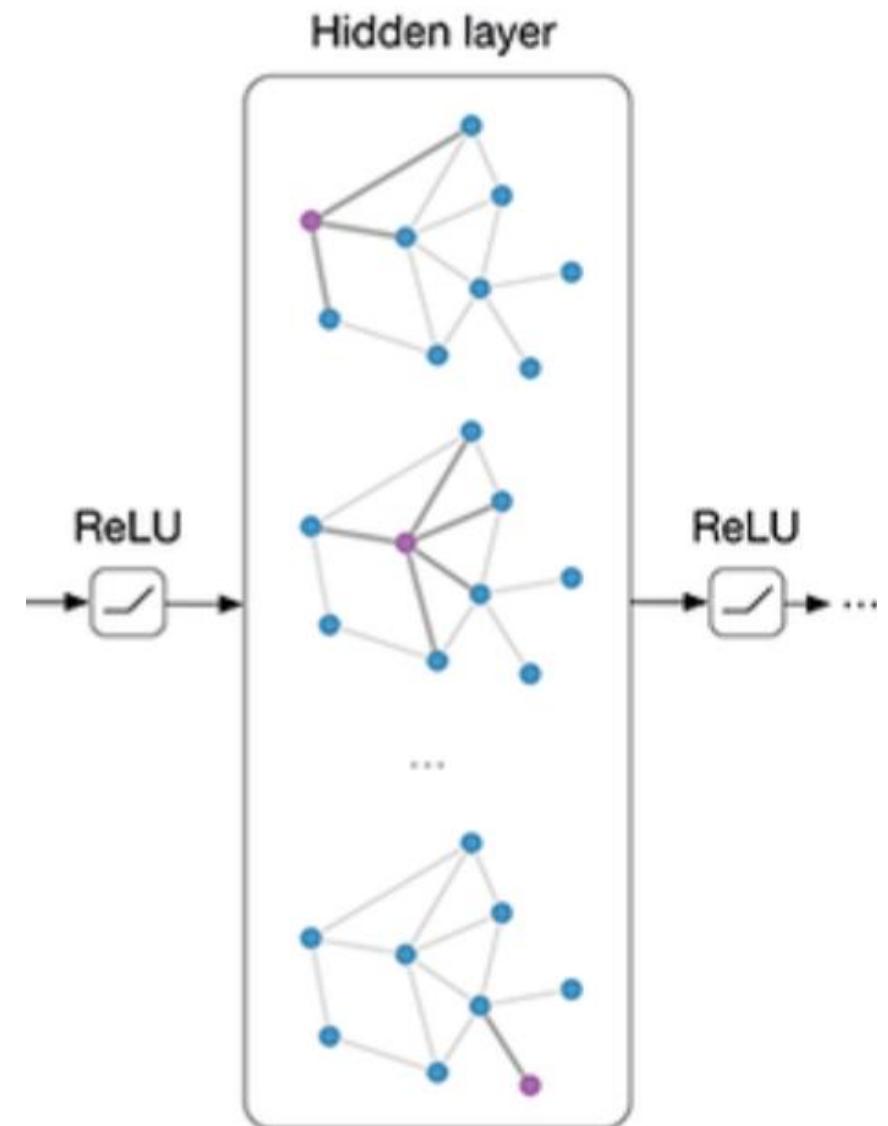
- Input: text sequence
- Application: NLP (machine translation, classification, sentiment analysis, ...)



# GNN

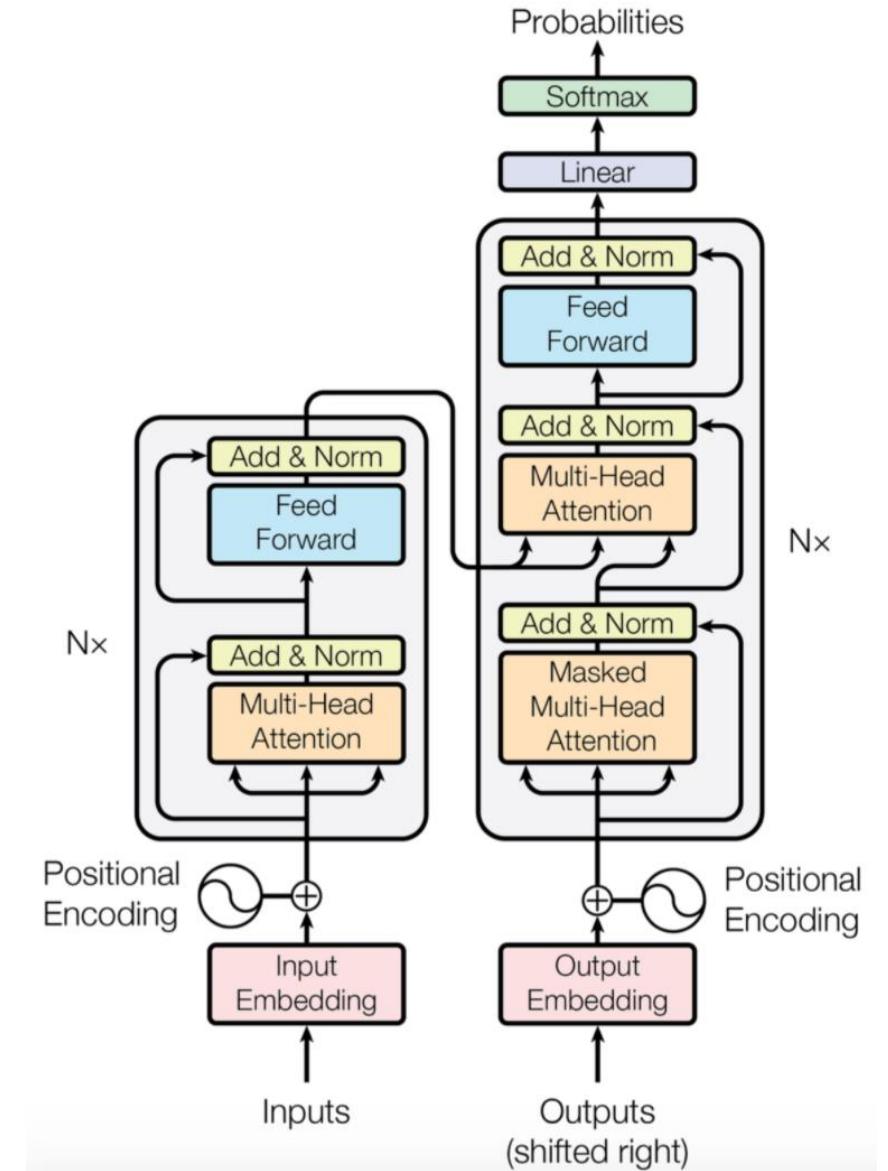
Input: graph structure (map data, nano-scale molecules)

Application: drug discovery, route optimization



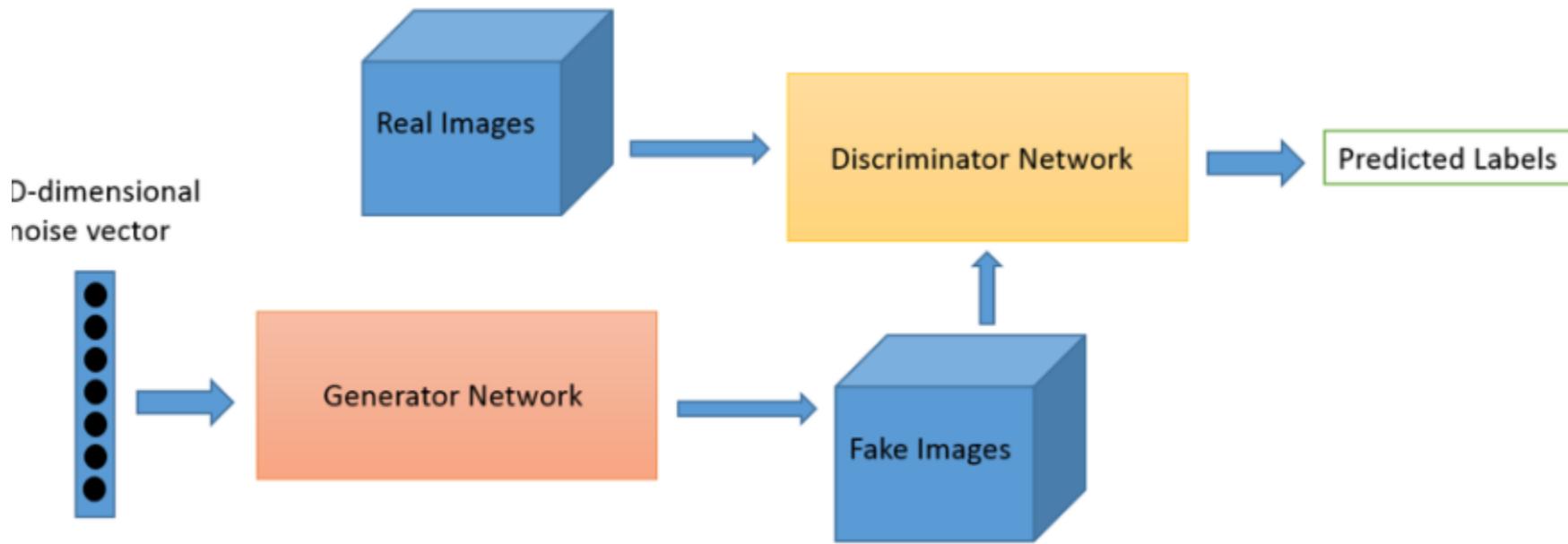
# CV&NLP - Transformer

- Input: image or text
- Application: transfer learning



# CV- GAN

- Input: photos, paintings ...
- Application: generating image, constructing 3D models from images, ...



*Demo*

Q & A